



Topological characterization of brain connectivity using white matter fiber bundles

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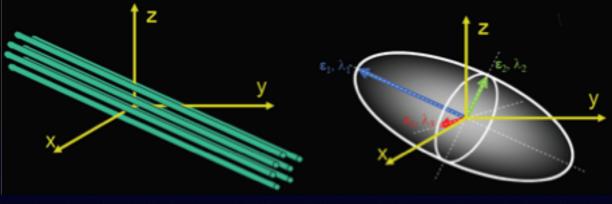
Acknowledgement

Nagesh Adluru, Kim Dalton, Andrew Alexander, Richard Davidson University of Wisconsin-Madison

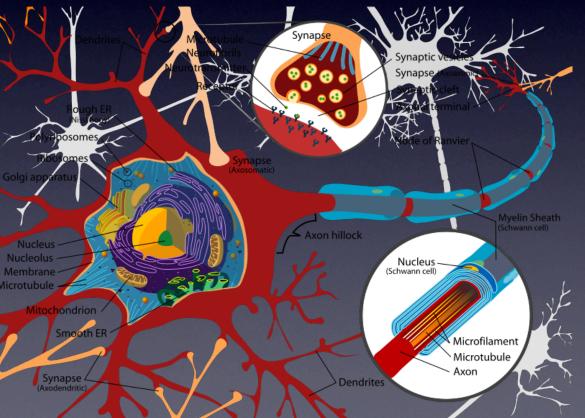
Abstract

Structural brain connectivity has been mainly modeled as a network graph using white matter fiber tracts in DTI. The whole gray matter has been traditionally parcellated into disjoint regions. Fiber tracts provide information of how one gray matter region is connected to another via a connectivity matrix. The connectivity matrix is then thresholded to produce a binarized adjacency matrix, which is further used in constructing a graph. However, there is no gold standard for gray matter parcellation, which makes the identification of node, depends on the choice of parcellation. Depending on the scale of parcellation, the parameters of graph, which characterize graph topology, varies considerably. Another problem of the parcellation is the arbitrariness of thresholding the connectivity matrix. The topological parameters such as degree, sparsity and clustering coefficients change significantly depending on the level of threshold. The problems of parcellation and the subsequent arbitrary thresholding can be avoided if we do not use any parcellation in building the network. So the question is whether if it is possible to construct a network graph without the usual parcellation scheme. We present a novel topological network graph construction technique called the epsilonneighbor method that avoids parcellation and the subsequent connectivity matrix thresholding. The method is applied in quantifying abnormal connectivity in autism.

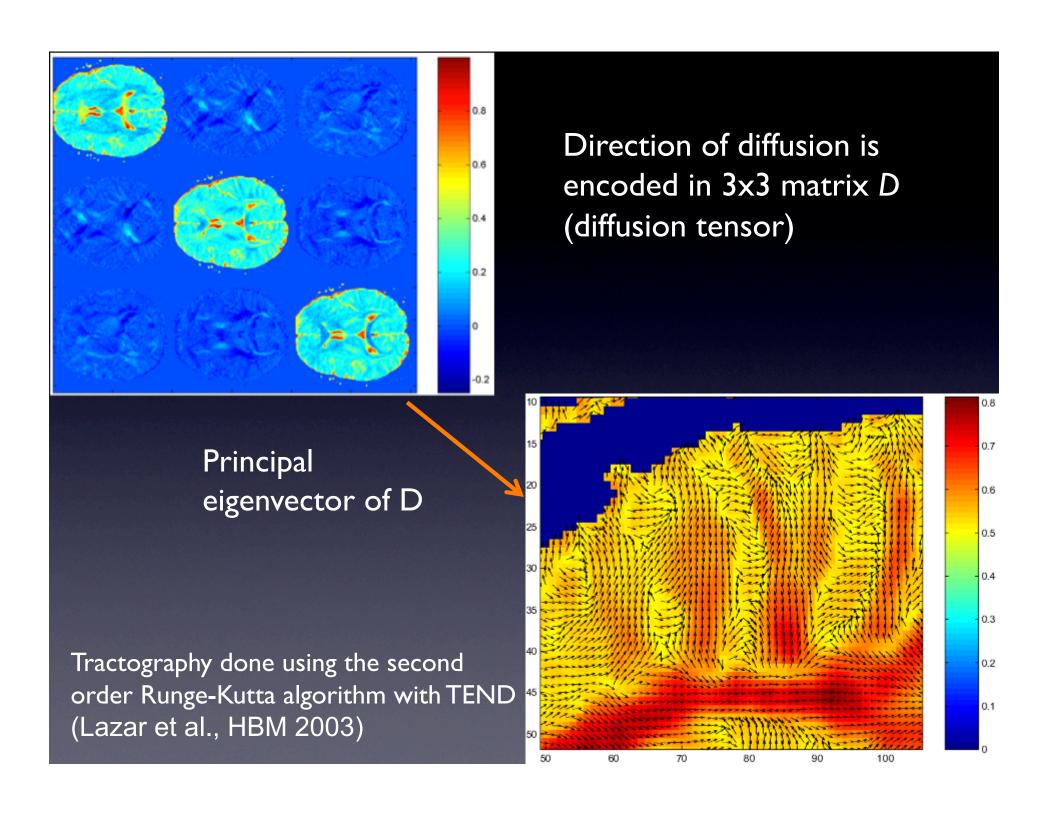
Diffusion Tensor Imaging



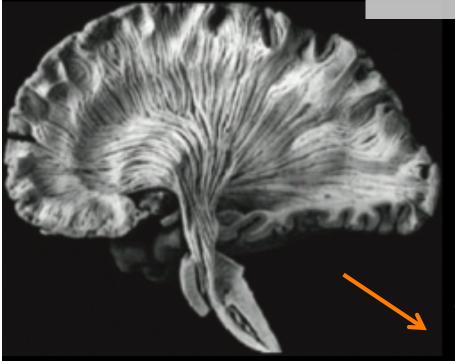
The movement of anisotropic water diffusion can be measured using DTI



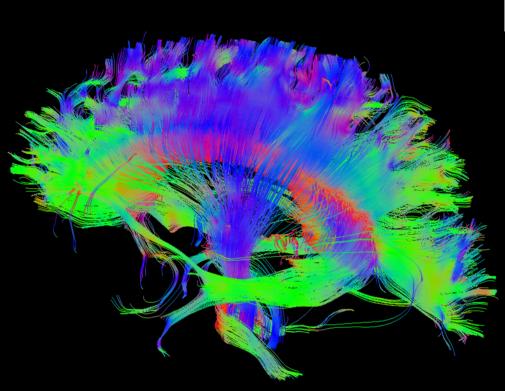
The direction of neuronal filaments in the axon dictates the movement of water diffusion.



White Matter Fiber Tractography



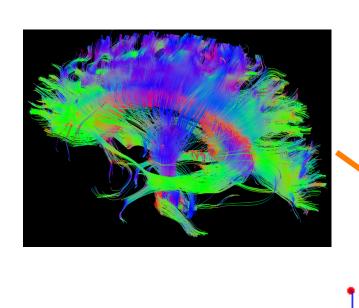
Postmortem



Reconstructed 0.5 million tracts

Structural connectivity in DTI:

Structural connectivity will be explored using graph theoretic approaches.



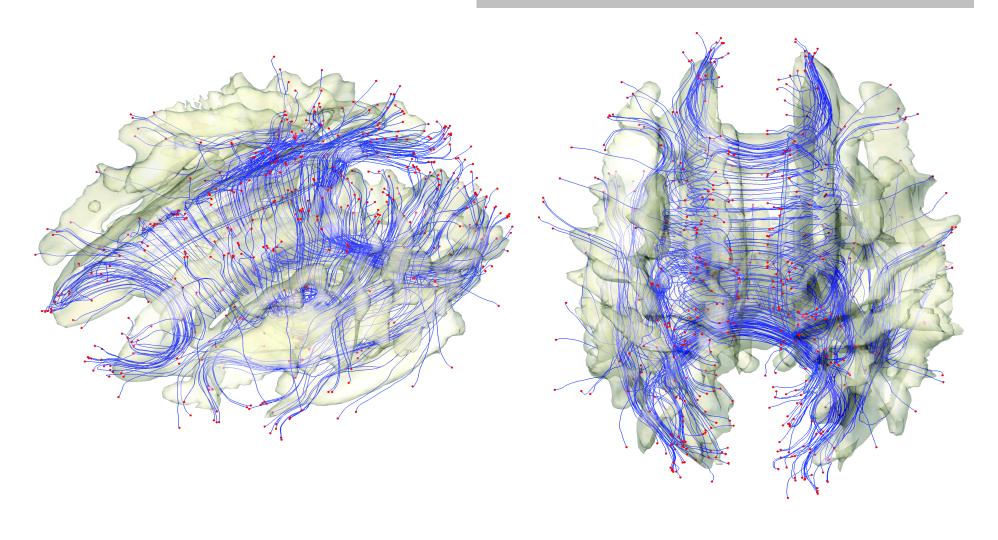
Graph construction

Identify end points

ε-neighbor:

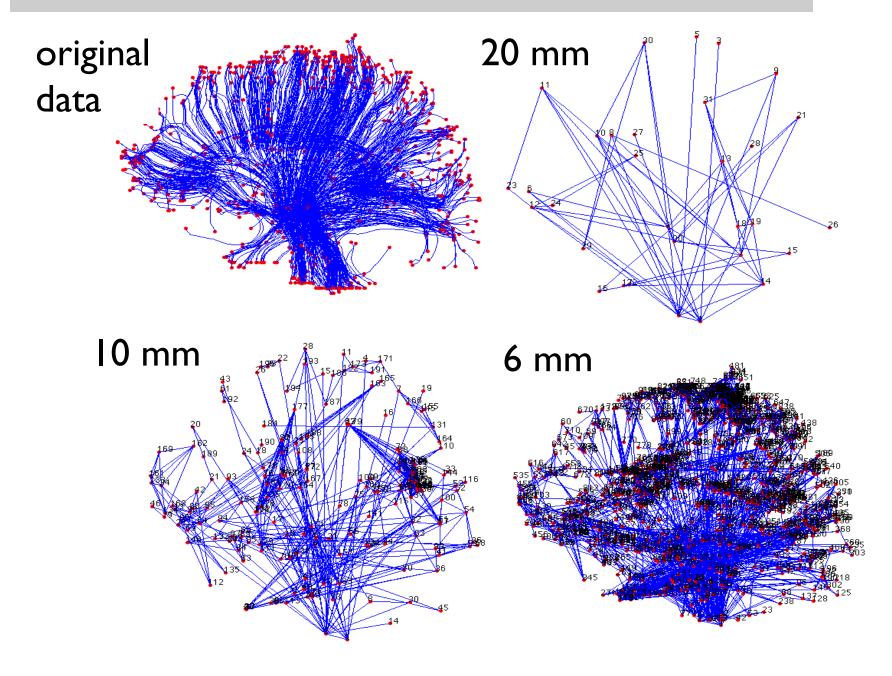
All points in the ε-neighbor are identified as a single node in a graph

End points of tracts

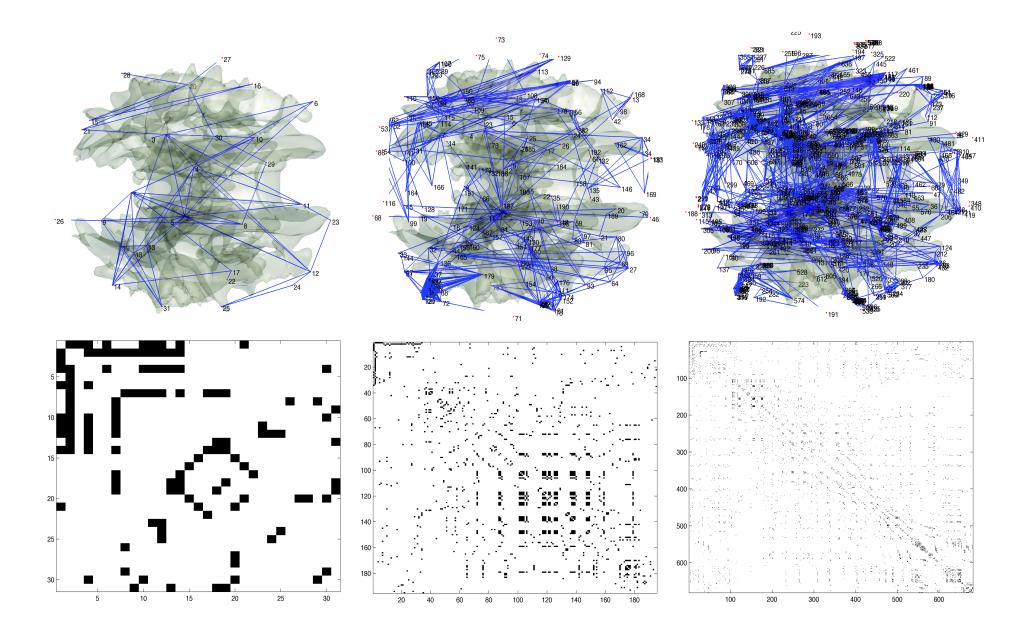


Surface: white matter boundary

ε-neighbor graphs with different ε



Adjacency matrix



Application to autism

Autistic children (n=17)

Control subjects (n=14)

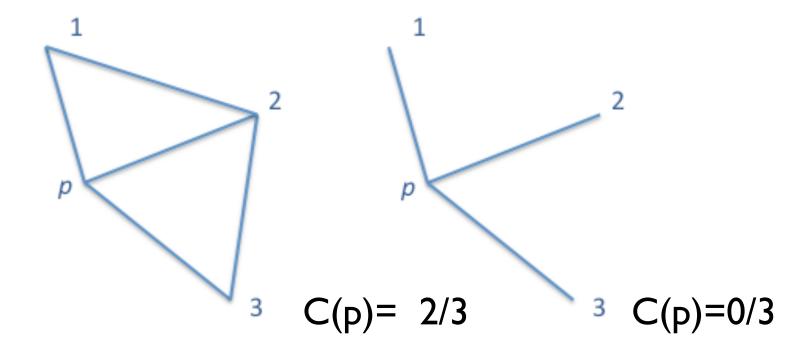
Matched for age, handedness, IQ and head size

Clustering coefficient

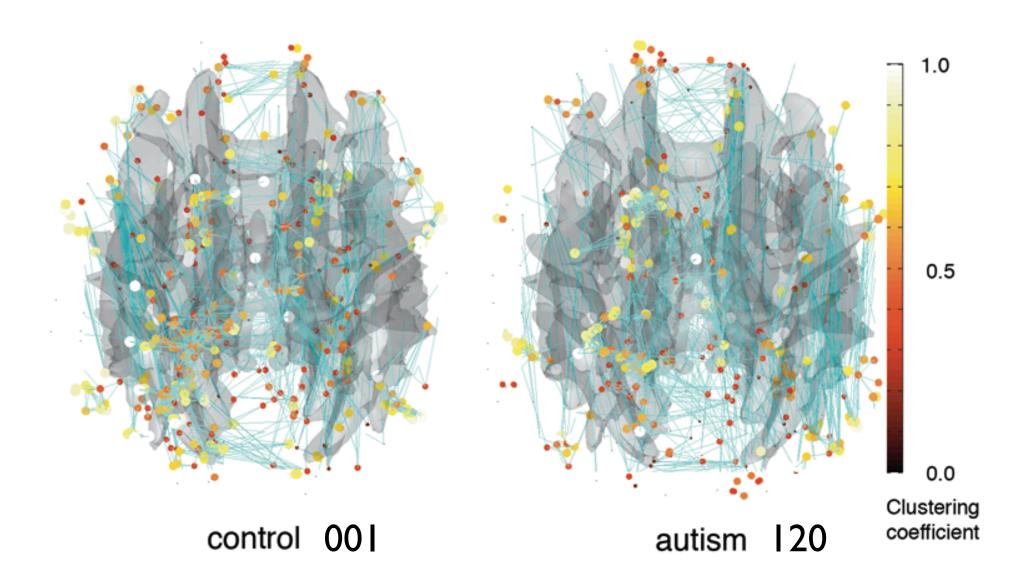
Newman et al., (2001)

At a given node p, there are k number of neighboring nodes.

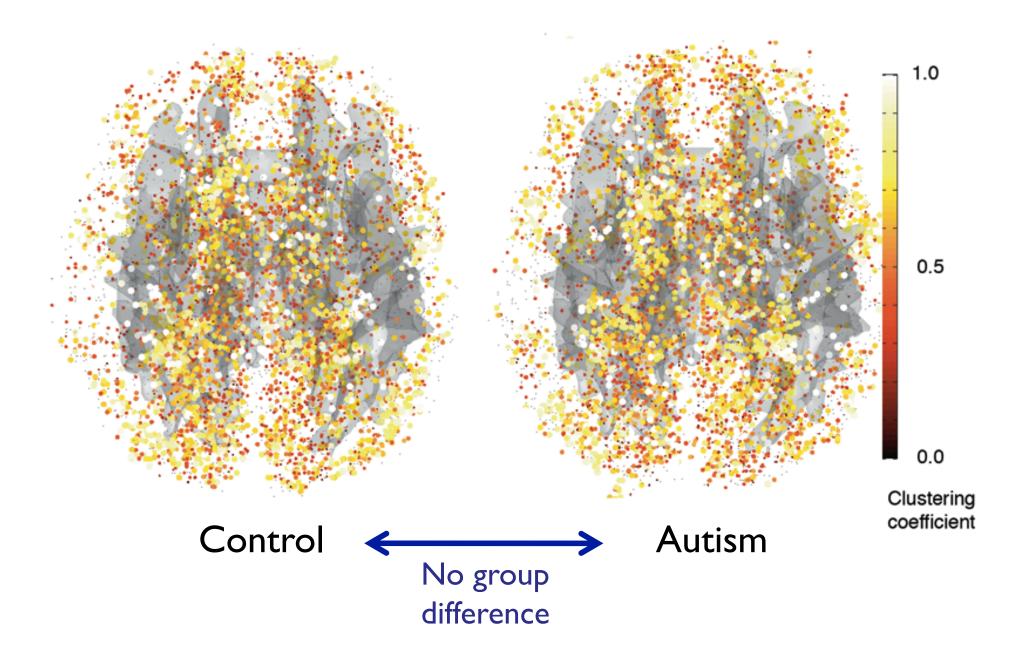
$$c(p) = \frac{\text{actual number of edges}}{k(k-1)/2}$$



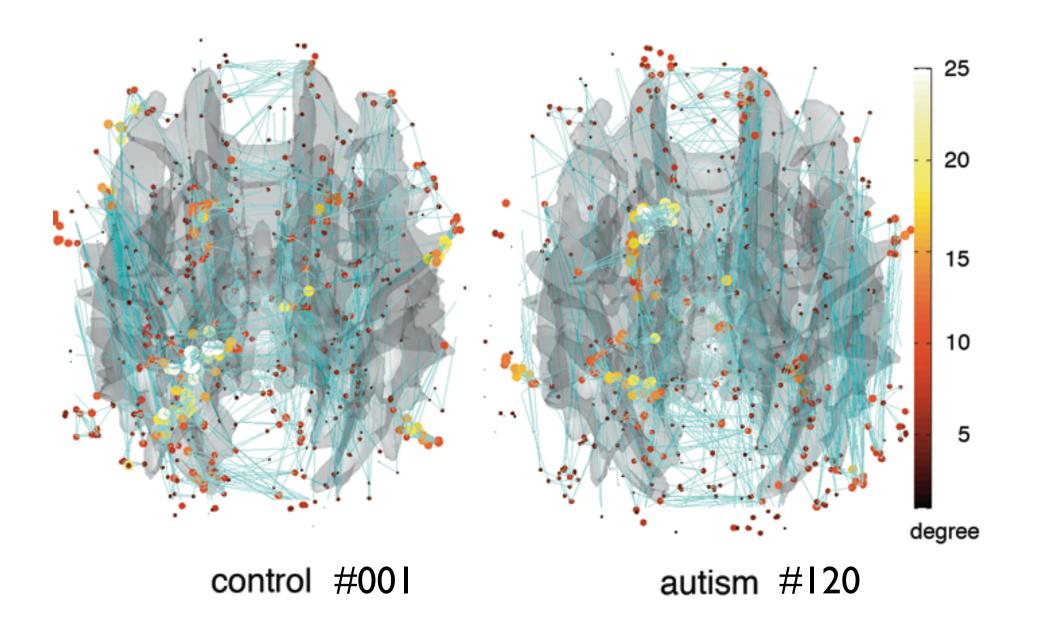
Clustering coefficient



Clustering coefficients for all subjects

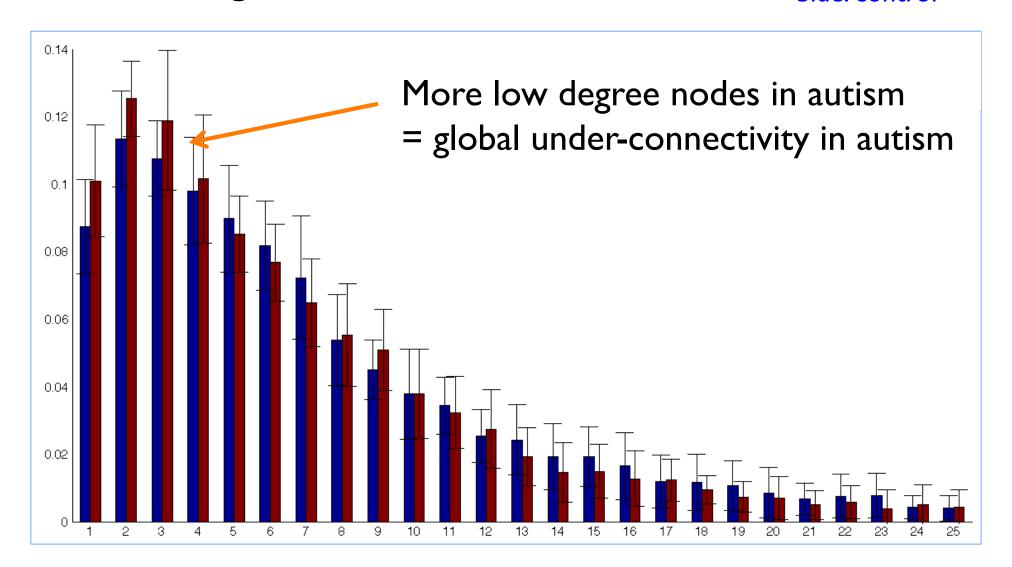


Degree of nodes: measure of local network complexity



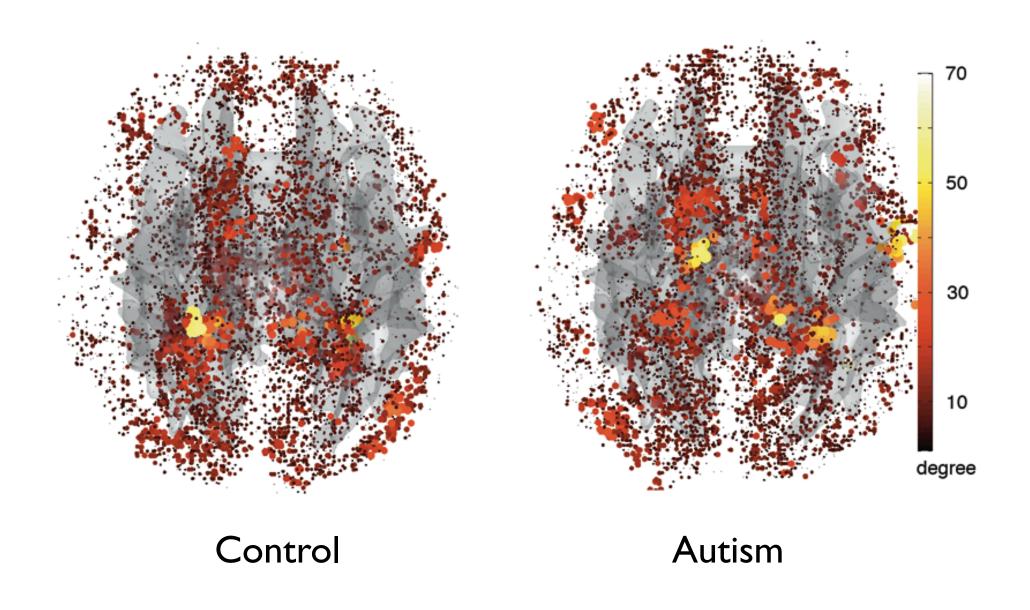
Global degree distribution

red: autism blue: control

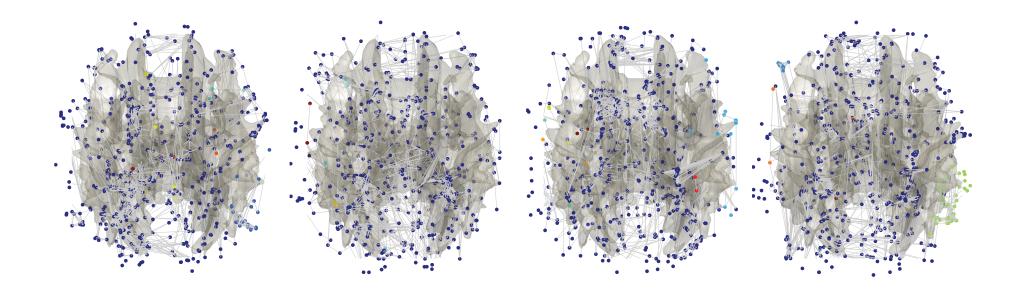


pvalues = 0.024, 0.015 and 0.080 for degrees 1, 2 and 3.

Local degree distribution for all subjects

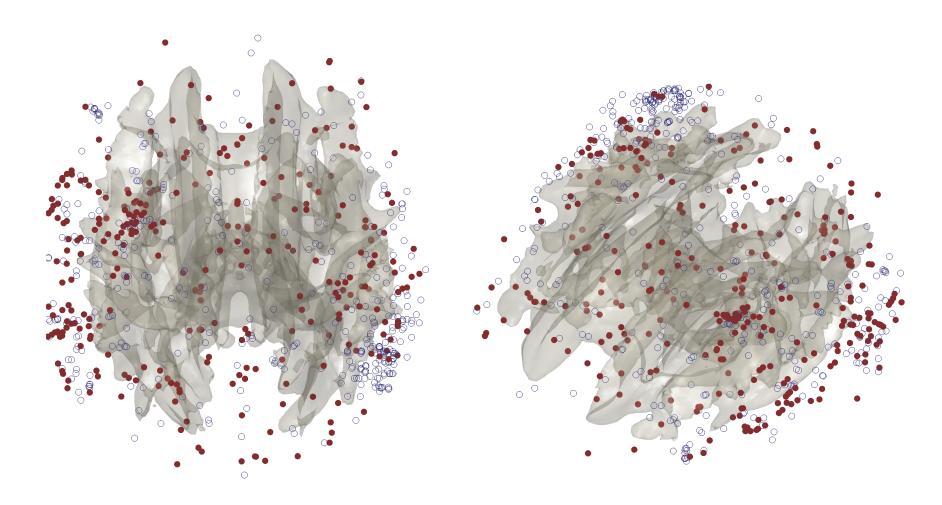


Largest connected component



In average 96% of all nodes are connected to each other. We believe 100% of all nodes are supposed to be connected. 4% is a processing noise caused by weak connections.

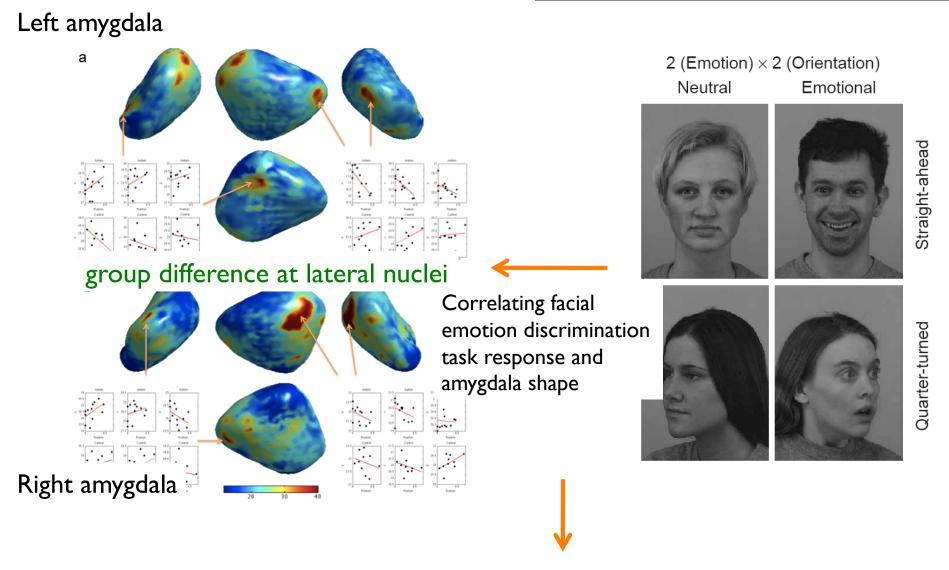
Group difference in disconnected components



Control=blue Autism=red

high clustering on the right parietal lobe (pvalue = 0.01)

Discussion



Amygdala networks correlated with behavioral measures

Thank you

